## LT 1.1 Parallel Lines and Transversal

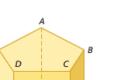
## Homework: Complete #13-20 odd

# Honors: Complete #13-20 odd

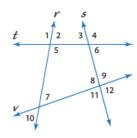
#### **Practice and Problem Solving**

**Example 1** Refer to the figure to identify each of the following.

- **13.** all segments parallel to  $\overline{DM}$   $\overline{CL}$ ,  $\overline{EN}$ ,  $\overline{BK}$ ,  $\overline{AJ}$
- **14.** a plane parallel to plane *ACD* **JLM**
- **(15)** a segment skew to  $\overline{BC}$   $\overline{EN}$ ,  $\overline{AJ}$ ,  $\overline{DM}$ ,  $\overline{NM}$ ,  $\overline{NJ}$ ,  $\overline{JK}$  or  $\overline{ML}$
- 16. all planes intersecting plane EDM DCL, NML, AED, AEN
- **17.** all segments skew to  $\overline{AE}$   $\overline{KL}$ ,  $\overline{CL}$ ,  $\overline{BK}$ ,  $\overline{ML}$ ,  $\overline{DM}$ ,  $\overline{NM}$ ,  $\overline{KJ}$
- **18.** a segment parallel to  $\overline{EN}$   $\overline{AJ}$ ,  $\overline{BK}$ ,  $\overline{CL}$ , or  $\overline{DM}$
- **19.** a segment parallel to  $\overline{AB}$  through point  $J \overline{JK}$
- a segment skew to CL through point E AE, ED



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Examples 2-3 CS PRECISION Identify the transversal connecting each pair of angles. Then classify the relationship between each pair of angles as *alternate interior*, *alternate exterior*, *corresponding*, or *consecutive interior* angles. 21 (4 and (0) 22 (5 and (7) 21-30. See margin.

<b>21.</b> ∠4 and ∠9	<b>22.</b> ∠5 and ∠7
<b>23.</b> ∠3 and ∠5	<b>24.</b> ∠10 and ∠11
<b>25.</b> $\angle 1$ and $\angle 6$	<b>26.</b> ∠6 and ∠8
<b>27.</b> ∠2 and ∠3	<b>28.</b> ∠9 and ∠10
<b>29.</b> ∠4 and ∠11	<b>30.</b> ∠7 and ∠11

**Example 3** SAFETY Identify the transversal connecting each pair of angles in the photo of a fire escape shown. Then classify the relationship between each pair of angles. **31–36.** See margin.

<b>31.</b> ∠1 and ∠2	<b>32.</b> ∠2 and ∠4
<b>33.</b> ∠4 and ∠5	<b>34.</b> $\angle 6$ and $\angle 7$
<b>35.</b> ∠7 and ∠8	<b>36.</b> ∠2 and ∠3

- 37. POWER Power lines are not allowed to intersect.
  - a. What must be the relationship between power lines *p* and *m*? Explain your reasoning. See margin.
  - b. What is the relationship between line q and lines p and m? Line q is a transversal of lines p and m.







### "See Margin" Answers

#### Additional Answers

- 21. line s; corresponding
- 22. line r; consecutive interior
- line t; alternate interior
- 24. line v; corresponding
- 25. line t; alternate exterior
- 26. line s; alternate interior
- 27. line t; consecutive interior
- 28. line v; alternate exterior
- 29. line s; alternate exterior
- line v; alternate interior
- 31. line a; vertical
- line a; consecutive interior
- line c; alternate interior
- 34. line d or line f; linear pair
- 35. line f; corresponding
- 36. line a; alternate interior
- 37a. Sample answer: Since the lines are coplanar and they cannot touch, they are parallel.
- 46. OPEN ENDED Plane P contains lines a and b. Line c intersects plane P at point J. Lines a and b are parallel, lines a and c are skew, and lines b and c are not skew. Draw a figure based upon this description. See Ch. 3 Answer Appendix.
- 47. CHALLENGE Suppose points A, B, and C lie in plane P, and points D, E, and F lie in plane Q. Line m contains points D and F and does not intersect plane P. Line n contains points A and E. a. See Ch. 3 Answer Appendix.
  - a. Draw a diagram to represent the situation.
  - **b.** What is the relationship between planes *P* and *Q*? **parallel**
  - c. What is the relationship between lines *m* and *n*? skew

**48.** Sometimes;  $\overrightarrow{AB}$  is either skew or parallel to  $\overrightarrow{CD}$ because the lines will never intersect and are not coplanar.

**REASONING** Plane X and plane Y are parallel and plane Z intersects plane X. Line  $\overrightarrow{AB}$  is<br/>in plane X, line  $\overrightarrow{CD}$  is in plane Y, and line  $\overrightarrow{EF}$  is in plane Z. Determine whether each<br/>statement is always, sometimes, or never true. Explain.**49.** Sometimes;  $\overrightarrow{AB}$ <br/>intersects  $\overrightarrow{EF}$ .**48.**  $\overrightarrow{AB}$  is skew to  $\overrightarrow{CD}$ .**49.**  $\overrightarrow{AB}$  intersects  $\overrightarrow{EF}$ .**Intersects**  $\overrightarrow{EF}$  depending on

50. So WRITING IN MATH Can a pair of planes be described as skew? Explain. See Ch. 3 Answer Appendix.

# "See Ch. 3 Answer Appendix" Answers

